## Cross-correlation of LoTSS DR2 with CMB lensing

### Radio galaxy bias and cosmology

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Disclaimer: work in progress, some results might change before submission

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## Standard cosmological model: ACDM



13.77 billion years

NASA/WMAP Science Team



### **Cosmological tensions**

### Hubble constant H<sub>0</sub>



### **Current expansion rate**

-HSC-Y3  $\xi_{\pm}$ Weak  $\cdots$  DES-Y3 0.90 lensing --- KiDS-1000 --- Planck-2018  $S_{\infty}$ 0.00  $S_8 \equiv \sigma_8 \sqrt{\Omega_{\rm m}/0.3}$  $\sigma_8$  – power spectrum normalisation 0? 0.  $\Omega_{\rm m}$ 

 $\sigma_{8}, S_{8}$ 

**Amount of matter fluctuations** 



arXiv:2304.00702

### Secondary gravitational effects in CMB **Cosmic Microwave Background interacts** Table 1. Sources of temperature fluctuations. with foreground large-scale structure

- The integrated Sachs-Wolfe (ISW) effect is due to CMB photons traversing a time-(i) varying linear gravitational potential. The relevant scale is the curvature scale freeze-out in concordance cosmology: the horizon at  $1 + z \sim (\Omega_{\Lambda}/\Omega_{\rm m})^{1/3}$ . This corresponds to an angular scale of about  $10^{\circ}$ .
- The Rees-Sciama (RS) effect is due to CMB photons traversing a non-linear (ii) gravitational potential, usually associated with gravitational collapse. The relevant scales are those of galaxy clusters and superclusters, corresponding to angular scales of 5-10 arc minutes.
- Gravitational lensing of the CMB by intervening large-scale structure does not (iii) change the total power in fluctuations, but power is redistributed preferentially towards smaller scales. The effects are significant only below a few arc minutes. Its effects may be significant on large scales when the observable of interest is the B-mode power spectrum.

PRIMARY	Gravity				
	Doppler				
	Density fluctuations				
	Damping				
	Defects	Strings			
		Textures			
SECONDARY	Gravity	Early ISW			
		Late ISW			
		Rees-Sciama			
		Lensing			
	Local reionization	Thermal SZ			
		Kinematic SZ			
	Global reionization	Suppression			
		New Doppler			
		Vishniac			
"TERTIARY"	Extragalactic	Radio point sources			
		IR point sources			
(foregrounds	Galactic	Dust			
&		Free-free			
headaches)		Synchrotron			
	Local	Solar system			
		Atmosphere			
		Noise, etc.			



## **CMB** lensing

### Large-scale structure weakly lenses CMB passing through Effect quantified by *lensing convergence* $\kappa$

 $T(\hat{\mathbf{n}})_{\text{lensed}} = T(\hat{\mathbf{n}} + \mathbf{d}(\hat{\mathbf{n}}))_{\text{unlensed}}$ 



Blake Sherwin, https://kicp-workshops.uchicago.edu/FutureSurveys/depot/materials/sherwin.pdf

 $\kappa = \nabla \cdot \mathbf{d}/2$ 

# **CMB lensing**Sky map



Planck 2018, VIII

Integrated effect of the large-scale structure from  $z \sim 1000$  till today

### **Kernel** Compared to LSST galaxies



### **Angular cross-correlation** A method to extract LSS information from CMB

Galaxy overdensity

$$\delta_g(\hat{\boldsymbol{n}}) \equiv \frac{N_g(\hat{\boldsymbol{n}}) - \bar{N}_g}{\bar{N}_g}$$
$$\delta_g(\hat{\boldsymbol{n}}) = \int \mathrm{d}z \, \frac{\mathrm{d}p}{\mathrm{d}z} \, \Delta_g(\chi(z)\hat{\boldsymbol{n}}, z),$$

 $\Delta_g = b \Delta_m$ 

- **b** (linear) galaxy bias parameter
- CMB lensing convergence

$$\kappa(\hat{\boldsymbol{n}}) = \int_0^{\chi_{\text{LSS}}} \mathrm{d}\chi \; \frac{3H_0^2 \Omega_m}{2a} \chi \frac{\chi_{\text{LSS}} - \chi}{\chi_{\text{LSS}}} \Delta_m(\chi \hat{\boldsymbol{n}}, z(\chi))$$

Angular power spectrum

$$C_{\ell}^{uv} = \int \frac{\mathrm{d}\chi}{\chi^2} W_u(\chi) W_v(\chi) P_{UV}\left(k = \frac{\ell + 1/2}{\chi}, z(\chi)\right)$$

#### $P_{UV}$ - matter power spectrum, dependent on cosmology (e.g. $\sigma_8$ )

• Kernels

$$W_g(\chi) = \frac{H(z)}{c} \frac{\mathrm{d}p}{\mathrm{d}z},$$
  
$$W_\kappa(\chi) = f_\ell \frac{3H_0^2 \Omega_m}{2a} \chi \frac{\chi_{\mathrm{LSS}} - \chi}{\chi_{\mathrm{LSS}}} \Theta(\chi_{\mathrm{LSS}} - \chi)$$



## **Breaking degeneracies** thanks to CMB lensing

LoTSS DR1 (Alonso et al. 2021)



Figure 6. Measured auto- and cross-correlation (black dots with error bars int the top and bottom panels respectively), together with the theory prediction for different values of the galaxy bias  $b_g$  and the high redshift tail  $z_{\text{tail}}$  (left and right panels respectively), both in the range (0.5, 2.0). A "constant amplitude" model is assumed for the redshift evolution of the galaxy bias.  $b_g$  is fixed to 1.3 in the right panel, while  $z_{\text{tail}} = 1.1$  in the left one. While both  $b_g$  and  $z_{\text{tail}}$  affect the amplitude of the auto-correlation, the cross-correlation depends only mildly on the high-redshift tail, making it possible to break the degeneracy between both parameters by combining  $C_{\ell}^{gg}$  and  $C_{\ell}^{g\kappa}$ .

#### Varying redshift distribution



### LOTSS DR2

- LOFAR Two-metre Sky Survey (LoTSS) Data Release 2
- 27% of the northern sky
- 4.4 million radio sources before cuts
- Our selections (motivated by Hale et al. in prep.):  $\rightarrow$  peak flux over 1.5 mJy  $\rightarrow$  signal to noise over 7.5  $\rightarrow$  fiducial sample of 1.1 million objects



#### Shimwell et al. 2022



#### Weights from Hale et al. in prep. Used to rescale number counts and to generate the mask



### galaxy bias model +redshift distribution model +nuisance parameters (e.g. shot noise amplitude) additionally $\sigma_8$ ]



### Tools

- NaMaster (Alonso) power spectra from observational data (so-called pseudo C\_ell, based on Master by Hivon et al. 2002)
- Core Cosmological Library (CCL, Chisari, Alonso, Krause et al. 2019) theoretical modelling of correlations, including Halofit and linear matter power spectrum
- emcee, Cobaya (Torrado, Lewis 2020) Monte Carlo Markov Chains and likelihood inference
  - Likelihood

 $\chi^2 \equiv -2\log p(\boldsymbol{d}|\boldsymbol{q}) = (\boldsymbol{d} - \boldsymbol{t}(\boldsymbol{q}))^T \operatorname{Cov}^{-1}(\boldsymbol{d} - \boldsymbol{t}(\boldsymbol{q})),$ 

• Significance

 $TS = \chi^2(0) - \chi^2_{min} ,$ sigma = sqrt(TS) **d** – data vector including power spectra and redshift distribution

- **t** theoretical prediction
- **q** model parameters

### **LoTSS DR2 redshift distribution**

$$\delta_g(\hat{\boldsymbol{n}}) = \int \mathrm{d}z \, \frac{\mathrm{d}p}{\mathrm{d}z} \, \Delta_g(\chi(z)\hat{\boldsymbol{n}}, z), \quad \Delta_g = b \, \Delta_m$$



- Shaded: variation from LoTSS Deep Fields (e.g. Duncan et al. 2021)
- Parametrisation:

$$p(z) \propto \frac{z^2}{1+z} \left( \exp\left(\frac{-z}{z_0}\right) + \frac{r^2}{(1+z)^a} \right)$$

models SFGs at low-z and AGNs at high-z



### **Bias modelling of LoTSS galaxies**

$$\delta_g(\hat{\boldsymbol{n}}) = \int \mathrm{d}z \, \frac{\mathrm{d}p}{\mathrm{d}z} \, \Delta_g(\chi(z)\hat{\boldsymbol{n}}, z), \quad \Delta_g = b \, \Delta_m$$

- Three LoTSS DR2 galaxy bias models:
  - Constant (redshift-independen
  - "Constant-amplitude" where D(z) is the LSS linear of
  - Quadratic model (empirical)
- Parameters fitted within MCMC

$$b_g(z) = b_g$$

$$b_g(z) = b_{g,D}/D(z)$$
  
growth factor

$$b_g(z) = b_0 + b_1 z + b_2 z^2$$

### Correlations

Linear vs. Halofit modelling of matter power spectrum



Various multipole ranges tested

Nakoneczny et al. in prep.

Detection at  $\sim 23\sigma$  for ell<500 Factor of ~3.6x higher than in LoTSS DR1 (Alonso et al. 2021)



### Constraining LoTSS galaxy bias

Constant-amplitude and quadratic models fit the combined  $C_{qq}$  &  $C_{q\kappa}$ better than constant bias

		$b_g(z) = b$	g		b	$b_g(z) = b_{g,D}/$	D(z)	
	$b_g$	$A_{sn}$	$\chi^2$	PTE	$b_{g,D}$	$A_{sn}$	$\chi^2$	PTE
$C_\ell^{gg}$	$1.80\substack{+0.08\\-0.10}$	$0.98^{+0.09}_{-0.06}$	3.9	41%	$1.49^{+0.06}_{-0.09}$	$0.98^{+0.09}_{-0.05}$	4.0	41%
$C_\ell^{g\kappa}$	$2.17\substack{+0.09 \\ -0.09}$		9.5	39%	$1.39^{+0.06}_{-0.06}$		9.3	41%
$C_\ell^{gg}$ & $C_\ell^{g\kappa}$	$1.91\substack{+0.05 \\ -0.05}$	$0.93^{+0.04}_{-0.02}$	22.3	5.1%	$1.41^{+0.06}_{-0.06}$	$1.05\substack{+0.07 \\ -0.07}$	14.8	32%





Nakoneczny et al. in prep.

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## **Cosmology constrains**

Currently varying only  $\sigma_8$ , other parameters fixed to Planck

LoTSS DR1

LoTSS DR2 2.0mJy, 5.0 SNR

LoTSS DR2 1.5mJy, 7.5 SNR

Best fit for flux>1.5 mJy & SNR>7.5:

 $\sigma_8 = 0.75 \pm 0.04$ 

Sample	$\sigma_8$	$b_{g,D}$	$A_{sn}$	$\chi^2$	PTE
(1.5 mJy, SNR > 7.5)	$0.75^{+0.04}_{-0.04}$	$1.64^{+0.16}_{-0.17}$	$0.98^{+0.09}_{-0.08}$	12.4	50%
(2 mJy, SNR > 5)	$0.80^{+0.07}_{-0.06}$	$1.42^{+0.21}_{-0.21}$	$1.18\substack{+0.09\\-0.09}$	13.6	40%

Nakoneczny et al. in prep.



### Conclusions

- High-significance detection of LoTSS DR2 x CMB lensing cross-correlation
- Bias model constraints, constant model not a good fit
- Underlying redshift distribution is an important ingredient
- Derived  $\sigma_8$  currently agrees with both Planck and cosmic shear surveys
- Final results with full-sky LoTSS should provide an important test of state-of-theart cosmological constraints